





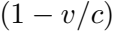
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ABV 101 + Bx 102 - 250)

$$F_{rest} = \frac{F_{sky} - S \times (F_{cent} - 350)}{Doppler}$$

$$F_{rest} = \frac{(M \times H + S) \times Flo2 - M \times L \times Eps) - S \times F_{cent}}{Doppler}$$



$$F_{l02} = \frac{F_{rest} \times Doppler + S \times 350 + M \times I \times Eps}{M \times H + S}$$

$$F_I = \frac{(M \times H - S) \times Flo2 - M \times L \times Eps + S \times 350}{Doppler}$$

$$F_I = \frac{\frac{M \times H - S}{M \times H + S} \times (F_{rest} \times Doppler + S \times 350 + M \times L \times Eps) - M \times L \times Eps + S \times 350}{Doppler}$$

$$F_I = \frac{(M \times H - S) \times (F_{rest} \times Doppler + S \times 350 + M \times L \times E_{ps}) + (M \times H + S) \times (S \times 350 - M \times L \times E_{ps})}{(M \times H + S) \times Doppler}$$

$$F_I = \frac{M \times H - S}{M \times H + S} \times F_{rest} + \frac{(M \times H - S + M \times H + S) \times S \times 350 - (M \times H + S - M \times H + S) \times M \times L \times E_{ps}}{(M \times H + S) \times Doppler}$$

$$F_I = \frac{M \times H - S}{M \times H + S} \times F_{rest} + \frac{2 \times M \times H \times S \times 350 - 2 \times S \times M \times L \times Eps}{(M \times H + S) \times Doppler}$$

$$F_I = \frac{M \times H - S}{M \times H + S} \times F_{rest} + \frac{2 \times S \times M \times (H \times 350 - L \times Eps)}{(M \times H + S) \times Doppler}$$











$$\delta F_I = \frac{D2 - D1}{D2 \times D1} \times \frac{2 \times S \times M \times (H \times 350 - L \times Eps)}{M \times H + S}$$



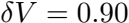




$$\delta F_I = \frac{\delta V}{c} \times 700$$



$$\delta V_I = \delta V \frac{700}{F_I}$$



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